

Figure 1

In the movie, *Car Escape*, Taylor and Jones drove their sportscar across a horizontal car park in building 1 and landed it in the car park of building 2, landing one floor lower. Building 2 is 20 metres from building 1, as shown in Figure 1. The floor where the car lands in building 2 is 4.0 m below the floor from which it started in building 1. In Questions 5 and 6, treat the car as a point particle and assume air resistance is negligible.

Question 5

Calculate the minimum speed at which the car should leave building 1 in order to land in the car park of building 2.

m s⁻¹

3 marks

In order to be sure of landing in the car park of building 2, Taylor and Jones in fact left building 1 at a speed of 25 m s^{-1} .

Question 6

Calculate the magnitude of the **velocity** of the car just prior to landing in the car park of building 2.

m s^{-1}

2 marks

After landing, Taylor applies the brakes and the car slows down until its speed is 11.0 m s^{-1} . The car then collides head-on with a concrete pillar. The car comes to rest in a time of 0.10 s . The car comes to rest against the pillar. The mass of the car and occupants is 1.30 tonne .

Question 7

Determine the average force on the car during the impact with the pillar.

N

2 marks

Question 8

Explain how the crumple zone of the car can minimise the extent of injuries experienced by the occupants of the car. (Assume that the occupants are wearing seatbelts.)

3 marks

AREA 1 – continued

AREA 2 – Gravity

The Mars Odyssey spacecraft was launched from Earth on 7 April 2001 and arrived at Mars on 23 October 2001. Figure 1 is a graph of the gravitational force acting on the 700 kg Mars Odyssey spacecraft plotted against height above Earth’s surface.

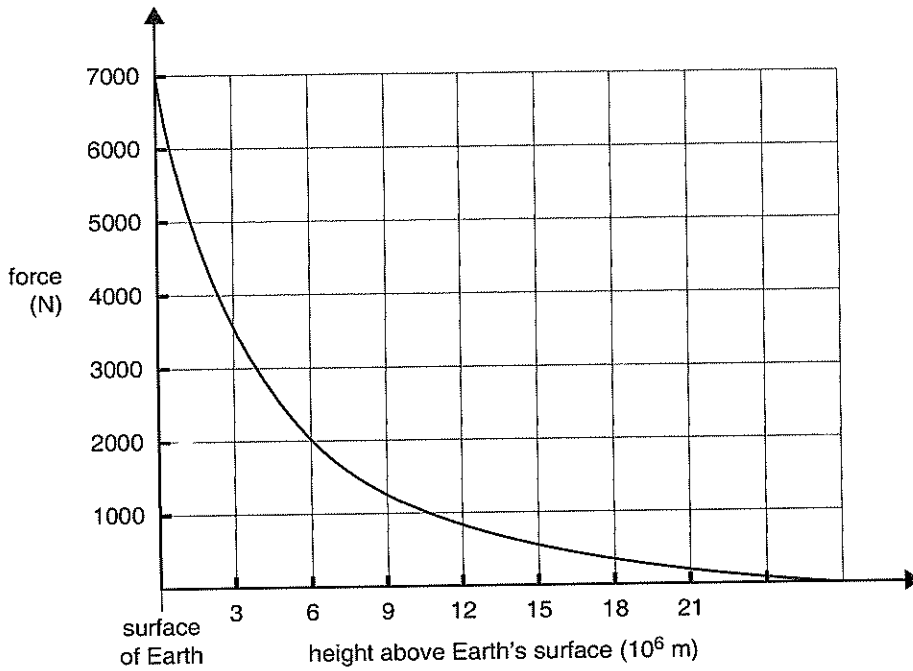


Figure 1

Question 1

Estimate the minimum launch energy needed for Mars Odyssey to escape Earth’s gravitational attraction.

J

3 marks

While in deep space, on the way to Mars, Odyssey was travelling at a constant velocity of $23\,000\text{ m s}^{-1}$ and the spacecraft and all its contents were weightless.

Question 2

Explain why an object inside the spacecraft could be described as weightless.

2 marks

CONTINUED OVER PAGE

Currently, the space probe, Cassini, is **between** Jupiter and Saturn (see Figure 2 opposite). Cassini's mission is to deliver a probe to one of Saturn's moons, Titan, and then orbit Saturn collecting data. Below is astronomical data that you may find useful when answering the following questions.



mass of Cassini	$2.2 \times 10^3 \text{ kg}$
mass of Jupiter	$1.9 \times 10^{27} \text{ kg}$
mass of Saturn	$5.7 \times 10^{26} \text{ kg}$
Saturn day	10.7 hours

Question 3

Calculate the magnitude of the total gravitational field experienced by Cassini when it is $4.2 \times 10^{11} \text{ m}$ from Jupiter and $3.9 \times 10^{11} \text{ m}$ from Saturn.

$$(G = 6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2})$$

N kg⁻¹

4 marks

Question 4

Indicate the direction of the gravitational field at Cassini (determined in Question 3) on **Figure 2** below.

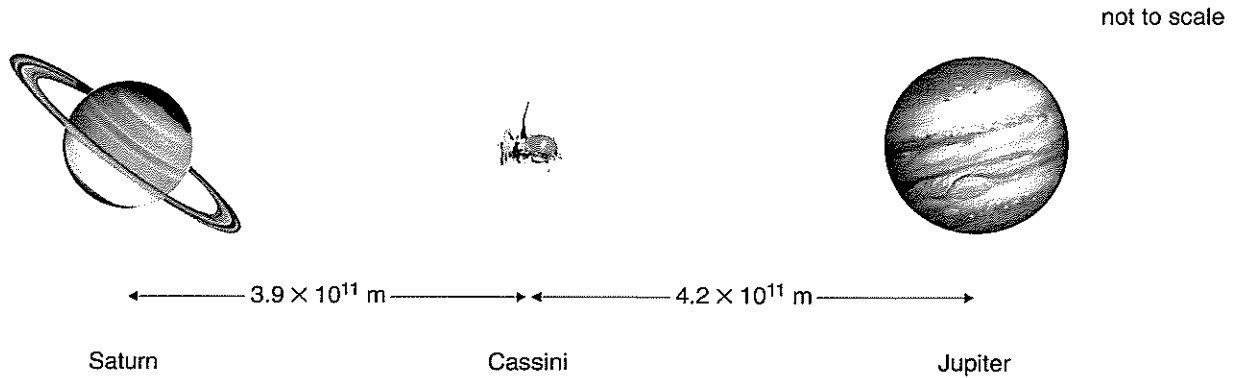


Figure 2. Cassini between Saturn and Jupiter (not drawn to scale)

1 mark

When Cassini arrives in the vicinity of Saturn this year, scientists want it to remain above the same point on Saturn's equator throughout one complete Saturn day. This is called a 'stationary' orbit.

Question 5

What is the period in seconds of this 'stationary' orbit?

s

1 mark

Question 6

Calculate the radius of this 'stationary' orbit.

$$(G = 6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2})$$

m

3 marks

The law of conservation of momentum (for an isolated system) is a fundamental law of physics that applies to all collisions.

Question 7

Describe how you would show that the collision between the dodgem car and the guardrail satisfies the law of conservation of momentum. In particular, address these three aspects.

Initial momentum of dodgem car

Final momentum of dodgem car

Given the previous answers, explain how momentum is conserved.

4 marks

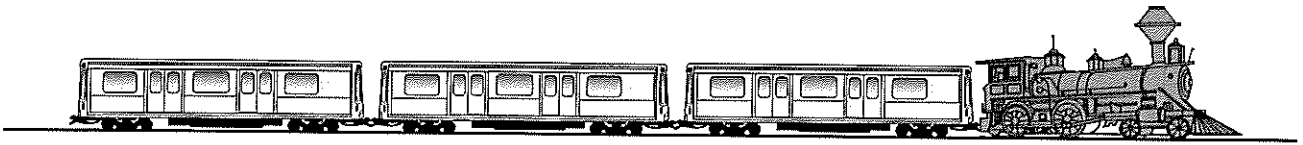
**Figure 4**

Figure 4 shows a train with an engine and three carriages travelling at constant velocity along a straight, level section of track. The mass of the engine is 40.0 tonnes and the mass of each of the carriages is 20.0 tonnes. At this constant velocity the resistance forces on the engine (due to frictional forces and air resistance) total 5000 N and each carriage experiences a resistance force of 2000 N.

Question 8

What is the magnitude of the driving force provided by the engine?

N

2 marks

While still on the same section of track, the train is required to speed up and so the engine driving force is increased to 4.6×10^4 N.

Question 9

Calculate the acceleration of the train.

m s^{-2}

2 marks

During another part of the journey the train is accelerating at 0.20 m s^{-2} along a straight, level section of track.

Question 10

Calculate the magnitude of the tension in the coupling between the final two carriages during this acceleration. (Assume that the resistance forces remain unchanged.)

N

4 marks

A small car travels in a circle of radius 10.0 m at a constant speed. Figure 5a shows the car from **above** and Figure 5b shows the car from **behind**.

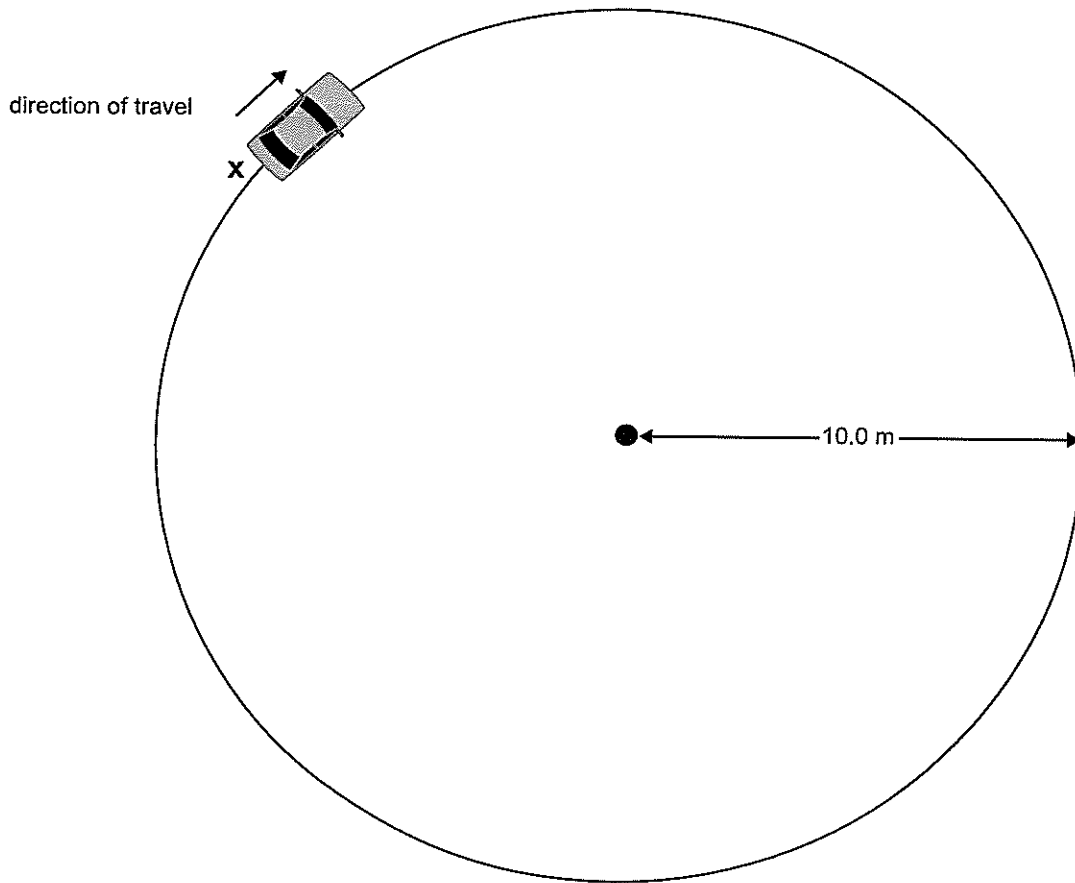


Figure 5a



Figure 5b

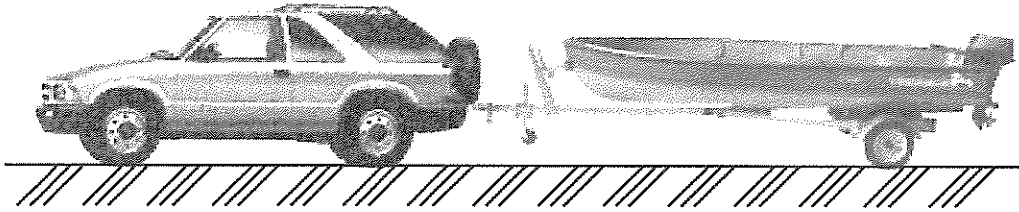
AREA 1 – Motion**Figure 1**

Figure 1 shows a car of mass 1600 kg towing a boat and trailer of mass 1200 kg.

The driver changes the engine power to maintain a constant speed of 72 km h^{-1} on a straight road. The total retarding force on the car is 1400 N and on the boat and trailer 1200 N.

Question 1

Calculate the driving force exerted by the car at this speed.

2 marks

To overtake another car the driver accelerates at a constant rate of 1.20 m s^{-2} from 72 km h^{-1} until reaching 108 km h^{-1} .

Question 2

Calculate the distance covered during this acceleration.

3 marks

AREA 1 – continued



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2

3

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Question 3

Calculate the tension in the coupling between the car and trailer during the acceleration. (Assume the same retarding forces of 1400 N and 1200 N respectively.)

	N
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3 marks

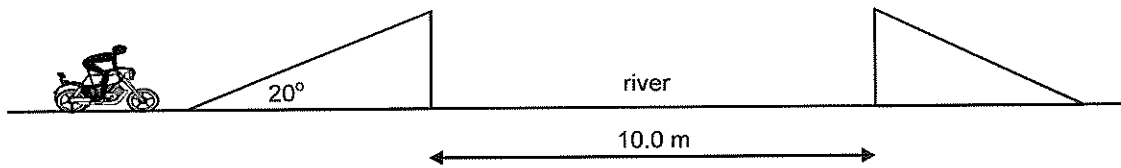
**Figure 2**

Figure 2 shows a motorcycle rider using a 20° ramp to jump her motorcycle across a river that is 10.0 m wide.

Question 7

Calculate the minimum speed that the motorcycle and rider must leave the top of the first ramp to cross safely to the second ramp that is at the same height. (The motorcycle and rider can be treated as a point-particle.)

$$(g = 9.8 \text{ m s}^{-2})$$

m s^{-1}

4 marks

Two students are discussing the forces on the tyres of a car. Both agree that there must be a friction force acting on the tyres of a car. The first student claims that the friction force acts to oppose the motion of the car and slow it down, for example, when braking. The second student claims that friction acts in the direction of motion as a driving force to speed the car up when accelerating.

Question 8

On the diagram of the front-wheel drive car in Figure 3 clearly show all the forces acting **on the tyres** of the car **when it is accelerating** forwards in a straight line. Use arrows for the force vectors to show both the **magnitude** and **point of action** of the different forces.

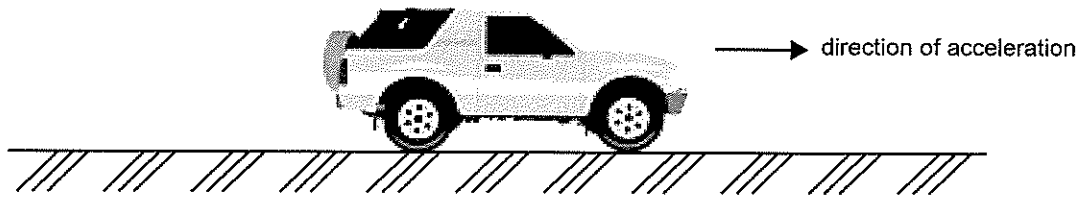


Figure 3

3 marks

Question 9

On the diagram of the same car in Figure 4 clearly show all the forces acting **on the tyres** of the car **when it is braking** in a straight line. Use arrows for the force vectors to show both the **magnitude** and **point of action** of the different forces.

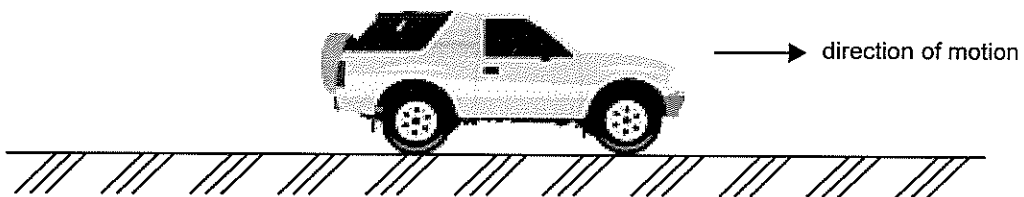


Figure 4

2 marks

Figure 1 shows the variation of gravitational field with height above Earth's surface.

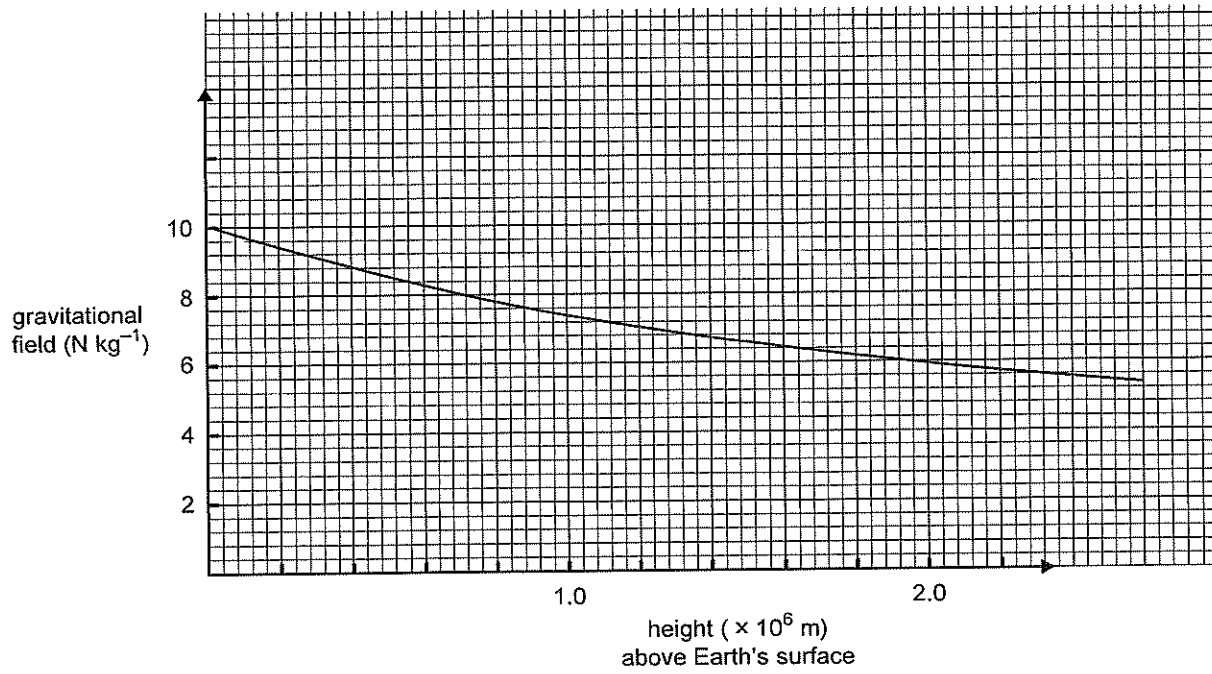


Figure 1

Question 3

Calculate the energy needed to take the 400 kg spacecraft from rest at the surface of Earth and place it in a stable circular orbit of height 1.70×10^6 m. You must show your working.

J

5 marks

SECTION A – Core**Instructions for Section A**

Answer all questions for both Areas of study in this section of the paper.

Area of study 1 – Motion in one and two dimensions

In the following questions you should take the value of g to be 10 m s^{-2}

A bushwalker is stranded while walking. Search and rescue officers drop an emergency package from a helicopter to the bushwalker. They release the package when the helicopter is a height (h) above the ground, and directly above the bushwalker. The helicopter is moving with a velocity of 10 m s^{-1} at an angle of 30° to the horizontal, as shown in Figure 1. The package lands on the ground 3.0 s after its release. Ignore air resistance in your calculations.

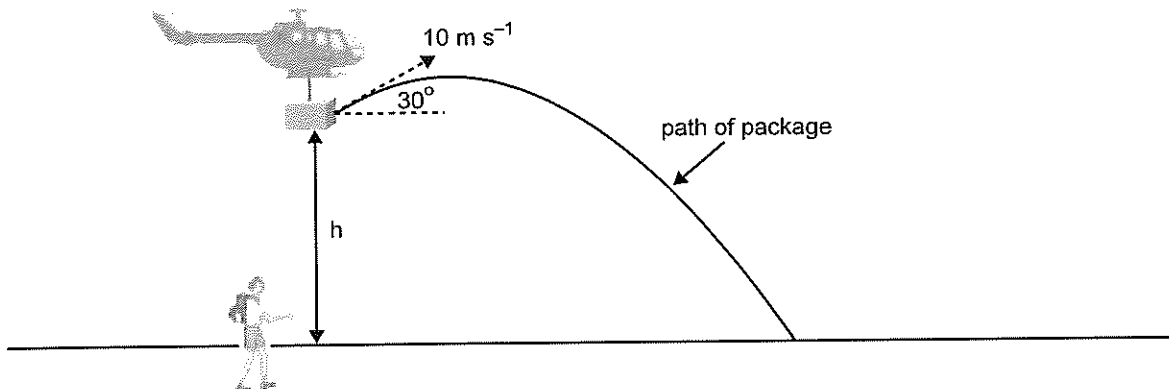


Figure 1

Question 1

What is the value of h in Figure 1?

	m
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3 marks

Question 2

Assuming that the helicopter continues to fly with its initial velocity, where is it when the package lands? Which one of the statements below is most correct?

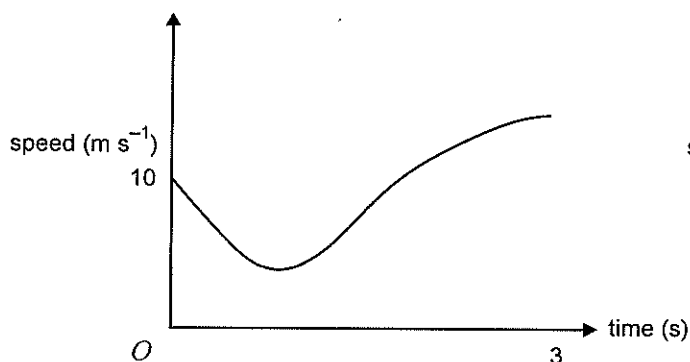
- A. It is directly above the package.
- B. It is directly above a point that is 15 m beyond the package.
- C. It is directly above a point that is 26 m beyond the package.
- D. It is directly above a point that is 30 m from the bushwalker.

2 marks

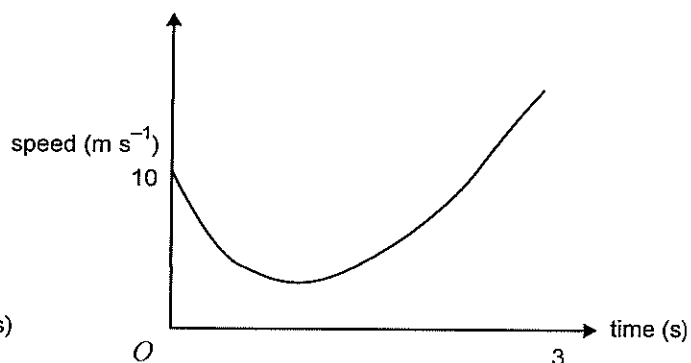
Question 3

Which of the graphs below best represents the **speed** of the package as a function of time?

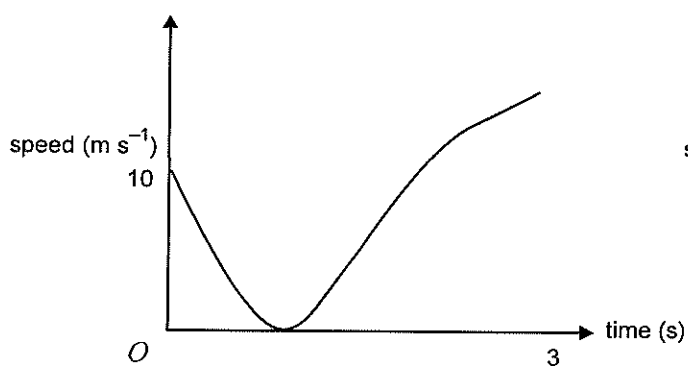
A.



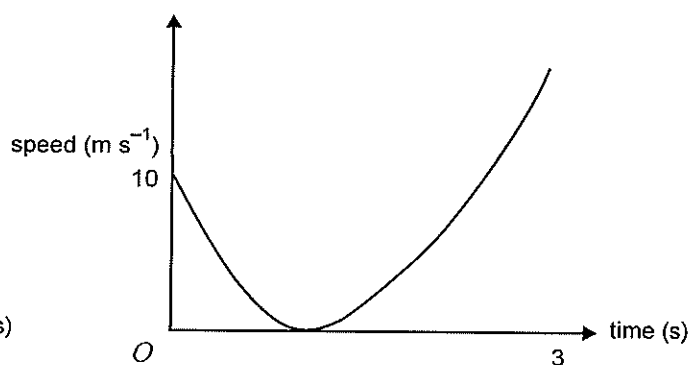
B.



C.



D.



2 marks

The radius of the orbit of Earth in its circular motion around the Sun is 1.5×10^{11} m (Figure 3).

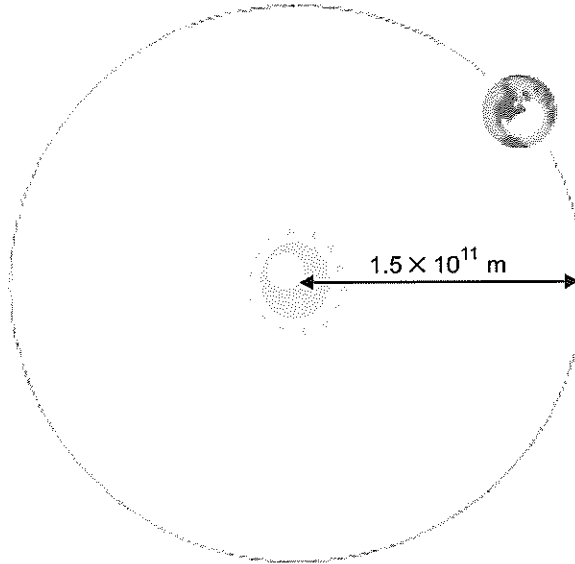


Figure 3

Question 12

Indicate on the diagram, with an arrow, the direction of the acceleration of Earth.

1 mark

Question 13

Calculate the mass of the Sun. Take the value of the gravitational constant $G = 6.67 \times 10^{-11}$ N m² kg⁻².

	kg
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3 marks

In a storeroom a small box of mass 30.0 kg is loaded onto a slide from the second floor, and slides from rest to the ground floor below, as shown in Figure 4. The slide has a **linear length of 6.0 m**, and is designed to **provide a constant friction force of 50 N** on the box. The box reaches the end of the slide with a speed of 8.0 m s^{-1} .

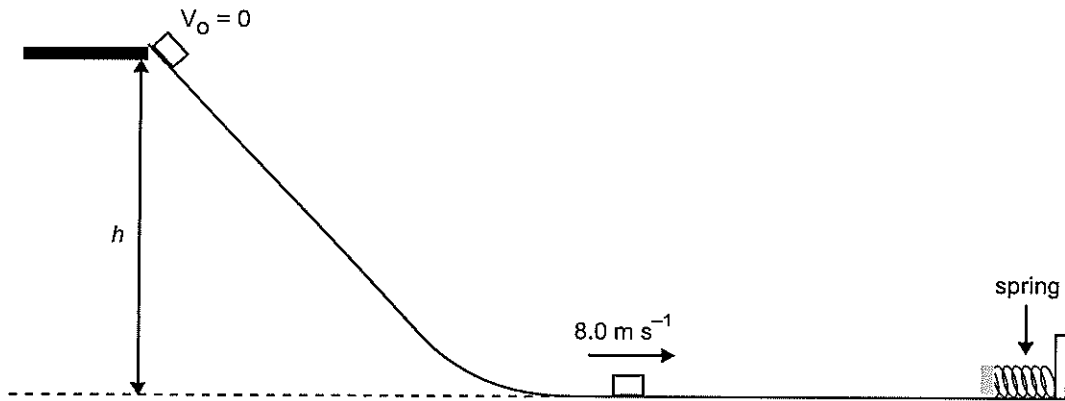


Figure 4

Question 14

What is the height, h , between the floors?

 m

4 marks

The box then slides along the **frictionless floor**, and is momentarily stopped by a spring of stiffness $30\,000 \text{ N m}^{-1}$.

Question 15

How far has the spring compressed when the box has come to rest?

 m

3 marks

The safe speed for a train taking a curve on level ground is determined by the force that the rails can take before they move sideways relative to the ground. From time to time trains derail because they take curves at speeds greater than that recommended for safe travel.

Figure 5 shows a train at position P taking a curve on horizontal ground, at a constant speed, in the direction shown by the arrow.

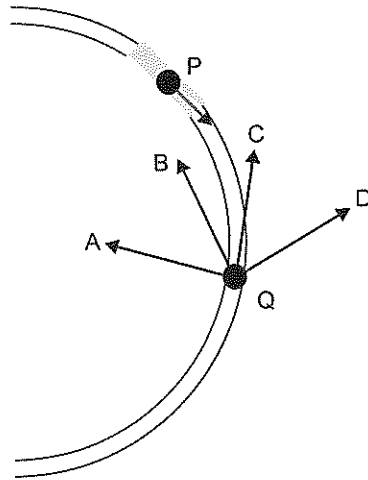


Figure 5

Question 5

At point P shown on the figure, draw an arrow that shows the direction of the force exerted by the rails **on the wheels** of the train.

2 marks

The radius of curvature of a track that is safe at 60 km/h is approximately 200 m.

Question 6

What is the radius of curvature of a track that would be safe at a speed of 120 km/h, assuming that the track is constructed to the same strength as for a 60 km/h curve?

m

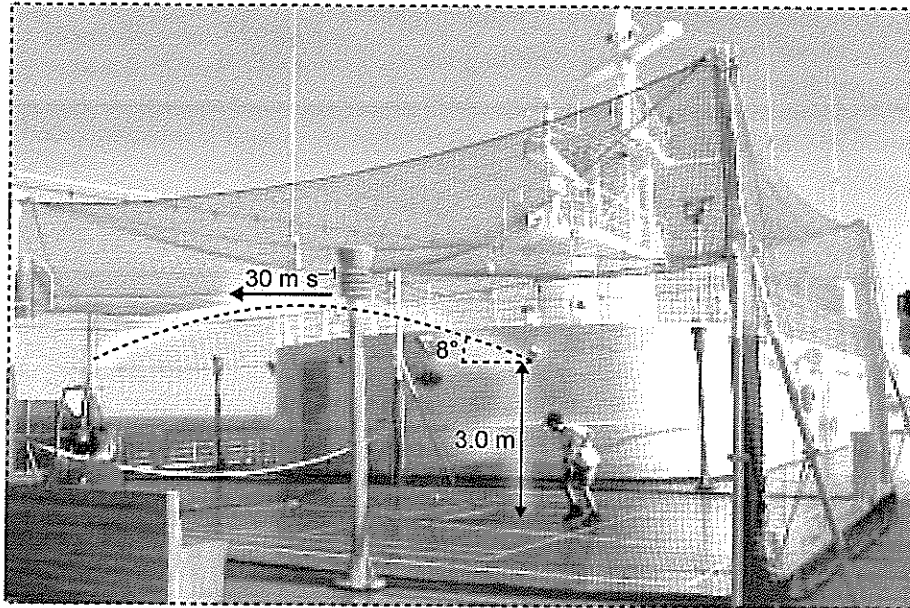
3 marks

Question 7

At point Q the driver applies the brakes to slow down the train on the curve.

Which of the arrows (A–D) indicates the direction of the **net** force exerted **on the wheels** by the rails?

2 marks



Fred is playing tennis on the deck of a moving ship. He serves the ball so that it leaves the racket 3.0 m above the deck and travels perpendicular to the direction of motion of the ship. The ball leaves the racket at an angle of 8° to the horizontal. At its maximum height it has a speed of 30.0 m s^{-1} . You may ignore air resistance in the following questions.

Question 11

With what speed, relative to the deck, did the ball leave Fred's racket? Give your answer to three significant figures.

m s^{-1}

3 marks

Question 12

At its highest point, how far was the ball **above the deck**?

 m

3 marks

The ship is travelling straight ahead at a velocity of 10 m s^{-1} .

Question 13

When the ball is at its highest point

a. at what **speed** is it moving **relative to the ocean**?

 m s^{-1}

b. at what **angle** is the ball travelling **relative to the direction** of the ship's travel?

 °

3 marks

Newton was the first person to quantify the gravitational force between two masses M and m , with their centres-of-mass separated by a distance R as

$$F = G \frac{Mm}{R^2} \text{ where } G \text{ is the universal gravitational constant, and has a value of } 6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2}.$$

For a mass m on the surface of Earth (mass M) this becomes $F = gm$, where $g = G \frac{M}{R^2}$

Question 14

Which one of the expressions (A–D) does not describe the term g ?

- A. g is the gravitational field at the surface of Earth.
- B. g is the force that a mass m feels at the surface of Earth.
- C. g is the force experienced by a mass of 1 kg at the surface of Earth.
- D. g is the acceleration of a free body at the surface of Earth.

2 marks

Question 15

What is the magnitude of the force exerted by Earth on a water molecule of mass 3.0×10^{-26} kg at the surface of Earth?

2 marks

A satellite in a circular orbit of radius 3.8×10^8 m around Earth has a period of 2.36×10^6 s.

Question 16

Calculate the mass of Earth. You **must** show your working.

3 marks